Systemic Risk-Taking Amplification Effects, Externalities, and Regulatory Responses

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Standard definition:

Systemic risk [is the] danger that problems in a single financial institution might spread and [...] disrupt the normal functioning of the entire financial system (BIS, 2002)

 \Rightarrow underlines importance of feedback loops & fire-sale externalities

Systemic Feedback Loops



Systemic Feedback Loops



Key Questions

- Efficiency of risk-taking decisions in market economy with feedback loops
- Regulatory response

Key Results

Individual market participants:

- take market prices and financial crises as given
- do not internalize pecuniary externalities that affect tightness of constraints for all agents
- excessive systemic risk-taking

⇒ theoretical foundations for macro-prudential regulation as Pigouvian taxation

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- Financial accelerator effects: Fisher (1933), Kiyotaki-Moore (1998), Bernanke-Gertler-Gilchrist (1999), etc.
- Economic efficiency under incomplete markets: Stiglitz (1982), Geanakoplos and Polemarchakis (1986)
- Frictions in insurance markets and overborrowing: Krishnamurthy (2003), Lorenzoni (2008), Gai et al. (2008)
- Insufficient liquidity provision: Holmström and Tirole (1998), Wagner (2007), Kahn and Santos (2008), etc.
- Empirical importance of amplification: Adrian and Brunnermeier (2008), Adrian and Shin (2008), etc.

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Two sets of agents:

• Bankers (consolidated productive sector):

- risk-neutral
- operate risky productive asset t
- finance operations through borrowing
- face borrowing constraints
- Two generations of households:
 - $\bullet \ risk-averse \rightarrow prefer \ smooth \ consumption$
 - generation 0 (time t = 0 and 1):
 - provide finance & insurance to bankers
 - generation 1 (time t = 1 and 2):
 - buy up fire-sales
 - less productive than bankers
 - \rightarrow downward-sloping demand for assets t

Period 0: Risk allocation

bankers enter insurance contracts with generation 0 households
 → full set of Arrow securities

Period 1: Feedback loop (when borrowing constraint binding)

- risky production is realized
- bankers fire-sell productive assets
- fire sales depress asset prices
- declining asset prices tighten constraint further

Period 2: Resolution

• final production and consumption

\Rightarrow Solution by backward induction

Basic Setup of Bankers

Banker = Kiyotaki-Moore-style farmer

- two time periods t = 1, 2 and initial debt b_1^{ω} (for now)
- utility $u = c_1^{\omega} + c_2^{\omega}$
- born with t₁ units of productive assets
- produces output $A_1^{\omega} t_1$
- can raise funds by fire-selling f^{ω} assets at price q_1^{ω}
- period 2 production is risk-free $\bar{A}t_2^{\omega} = \bar{A}(t_1 t^{\omega})$
- **distortion:** future production cannot be pledged to lenders \rightarrow bankers cannot borrow at t = 1, i.e. set $b_2^{\omega} = 0$

(asset is worthless at the end of period 2 \rightarrow no collateral)

Budget constraints:

$$c_1^{\omega} + b_1^{\omega} = A_1^{\omega} t_1 + q_1^{\omega} f^{\omega}$$
$$c_2^{\omega} = \bar{A} (t_1 - f^{\omega})$$

Note: impose $c_1^{\omega} \ge 0$ to capture borrowing constraint

Basic Setup of Households

Setup of households:

- risk-averse utility $u(C_1^{\omega}) + u(C_2^{\omega})$
- receive endowment e every period
- buy T_2^{ω} land from entrepreneurs in case of fire-sale
- production function *F*(*T*^ω₂) with *F*'(0) = *Ā* ⇒ households use assets less productively than entrepreneurs

$$\max_{T_2^{\omega}} u(e - q_1^{\omega} \cdot T_2^{\omega}) + u(e + F(T_2^{\omega}))$$

Demand for fire-sales: $q_1^{\omega} = \frac{u'(C_2^{\omega})}{u'(C_1^{\omega})} \cdot F'(T_2^{\omega})$

• at
$$T_2^{\omega} = 0, q_1^{\omega} = F'(0) = \bar{A}$$

• $dq_1^\omega/dT_2^\omega < 0$

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Strategy of decentralized bankers:

$$V^{DE}(b_1^{\omega}) = \max_{\{c_1^{\omega}, f^{\omega}\}} c_1^{\omega} + \bar{A}(t_1 - f^{\omega}) + \lambda^{\omega} c_1^{\omega} - \mu^{\omega} [c_1^{\omega} - A_1^{\omega} t_1 + b_1^{\omega} - q_1^{\omega} f^{\omega}]$$

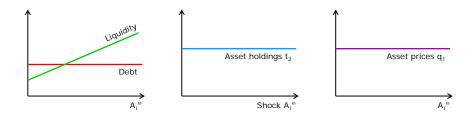
$$\begin{array}{ll} \textit{FOC}(\textit{c}_{1}^{\omega}): & \mu^{\omega} = 1 + \lambda^{\omega} \\ \textit{FOC}(\textit{f}^{\omega}): & \bar{\textit{A}} = \mu^{\omega}\textit{q}_{1}^{\omega} \end{array}$$

Valuation of liquidity in period 1 is μ^{ω} :

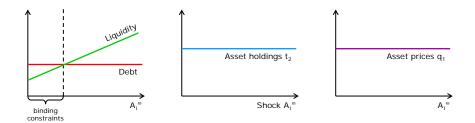
- with loose constraints: $\mu^{\omega} = 1 \rightarrow q_1^{\omega} = \bar{A}$
- with binding constraints: $\mu_{DE}^{\omega} = \frac{\bar{A}}{q_{t}^{\omega}}$

Shadow cost borrowing constraint $\lambda_{DE}^{\omega} = \mu_{DE}^{\omega} - 1$

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Social Planner's Strategy

Social planner: solves the same optimization problem

$$\begin{aligned} FOC(c_1^{\omega}): & \mu^{\omega} = 1 + \lambda^{\omega} & \to \lambda_{SP}^{\omega} = \mu^{\omega} - 1 \\ FOC(f^{\omega}): & \bar{A} = \mu_1^{\omega} \left[q_1^{\omega} + \frac{dq_1^{\omega}}{df^{\omega}} \cdot f^{\omega} \right] \end{aligned}$$

- with loose constraints: $\mu^{\omega} = \mathbf{1} \rightarrow q_{\mathbf{1}}^{\omega} = \bar{\mathbf{A}}$
- with binding constraints: $\mu_{SP}^{\omega} = \frac{\bar{A}}{q_1^{\omega} + dq_1^{\omega}/df^{\omega} \cdot f^{\omega}} > \mu_{DE}^{\omega}$

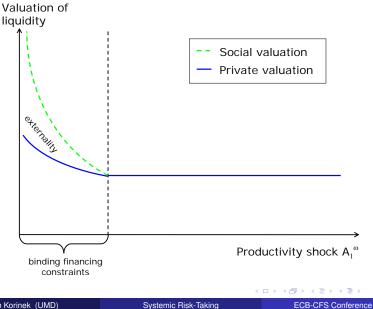
Proposition

The social planner values liquidity in constrained states more highly:

$$\mu_{SP}^{\omega} > \mu_{DE}^{\omega}$$
 and $\lambda_{SP}^{\omega} > \lambda_{DE}^{\omega}$

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Private and Social Pricing Kernel



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Period 0: Risk Allocation

Analysis of period 0 financing decisions:

- Assume bankers invest αt_1 to produce t_1 produtive assets
- borrow in period 0 Arrow markets to finance investment
- b_1^{ω} specifies contingent repayment in state ω
- Generation 0 of risk-averse households: $\max_{\{b_1^{\omega}\}} u(e - E[m_1^{\omega}b_1^{\omega}]) + E[u(e + b_1^{\omega})] \rightarrow m_1^{\omega} = \frac{u'(C_1^{\omega})}{u'(C_0)}$

Bankers'/social planner's optimization problem:

$$\mathcal{L}_{\{b_1^{\omega}\}}^{DE} = E\{V^{DE}(b_1^{\omega})\} - \nu\{\alpha t_1 - E[m_1^{\omega}b_1^{\omega}]\}$$
$$\mathcal{L}_{\{b_1^{\omega}\}}^{SP} = E\{V^{SP}(b_1^{\omega})\} - \nu\{\alpha t_1 - E[m_1^{\omega}b_1^{\omega}]\}$$

Common FOC (b_1^{ω}) : $\frac{dV}{db_1^{\omega}} - \nu \cdot m_1^{\omega} = 0$ or $\frac{\mu^{\omega}}{E[\mu^{\omega}]} = m_1^{\omega}$

Period 0: Characterization of Equilibrium

- For small variance $Var(A_1^{\omega})$:
 - bankers carry all risk
 - generation 0 households lend a fixed amount across all states
 - generation 1 households do not buy any assets
- For sufficiently large variance $Var(A_1^{\omega})$:
 - $\exists \hat{A} \text{ s.t. for } A_1^{\omega} \geq \hat{A}$, bankers promise a fixed amount \bar{b}_1 to generation 0 households
 - for $A_1^{\omega} < \hat{A}$, bankers share risk with households:
 - repay an amount $b_1^\omega < \bar{b}_1$ to generation 0 households, where b_1^ω is increasing in A_1^ω
 - fire-sell assets $f_1^{\omega} > 0$ to generation 1 households

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Decentralized Equilibrium:

- privately optimal trade-off between risk and return
- takes prices (and binding constraints) as given

Constrained Social Optimum:

- planner accounts for systemic cost of risk-taking, i.e. feedback loops during crises
- chooses less systemic risk-taking

Externality stems from financial amplification effects

First-best policy measures: break amplification effects

- inject liquidity into constrained firms (bailout)
- stabilize asset prices by buying up fire-sales
- BUT: both measure create large moral hazard concerns

What does not work:

Assume government announces state-contingent transfers T^{ω} from generation 0 households to bankers s.t. $E[m_1^{\omega}T^{\omega}] = 0$

Proposition (Ineffectiveness of Anticipated Bailouts)

Bankers will undo anticipated government transfers that aim to provide insurance against constrained states

Reason: state-contingent form of Ricardian equivalence

- decentralized equilibrium = privately optimal
- bankers will undo government's intratemporal reallocations
- expected bailout is precisely offset by increased risk-taking

Stabilization of asset prices: similar argument

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Definition (Securities)

 X_i^{ω} ... vector of state-contingent payoffs of security i

Definition (Externality Kernel)

 $\tau^{\omega}=\mu_{\rm SP}^{\omega}-\mu_{\rm DE}^{\omega}$... wedge between private and social valuation of payoffs

Optimal Pigovian tax on security *i* with payoffs X_i^{ω} :

$$t_i^* = \int au^\omega X_i^\omega d\omega = E[au^\omega X_i^\omega]$$

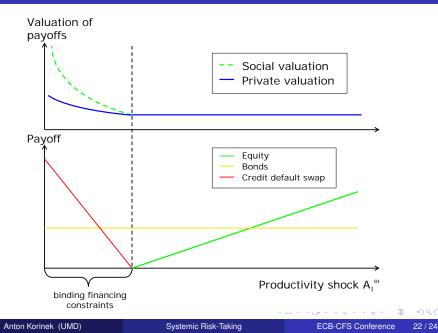
 \Rightarrow precisely offsets expected risk externality

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Implementation of Pigouvian Tax:

- raise capital adequacy requirements by t_i^*
- limit leverage in accordance with t^{*}_i
- use 'socially risk-neutral' probabilities based on τ^ω in risk management models

Schematic Example of Risk Externalities



Incentives for raising new capital:

problem: undervaluation of liquidity in crisis
 ⇒ reduced incentives for raising capital

- raising new capital:
 - relaxes financing constraints on affected institution
 - reduces amplification effects (fire-sales etc.)
 - mitigates decline in asset prices
 - relaxes financing constraints on everybody else
 uninternalized social benefit of capital injections
- ⇒ Rationale for obliging banks to raise capital or accept equity injections from government

- Feedback effects in financial markets create externality
- Private agents take on excessive systemic risk
- Economy exhibits socially excessive volatility
- Macroprudential regulation based on externality kernel can contain systemic risk

Image: A matrix